



SAFALTA CLASS<sup>TM</sup>

An Initiative by **अमरउजाला**



# Physics Intro & Kinematics

• Quantities

• Units

• Vectors

• Displacement

• Velocity

• Acceleration

• Kinematics

• Graphing Motion in 1-D

Speed  
Vel  
Acc.  
Dis  
Disp.]

→ 1, 2, 3, Imp.  
Dim.

# Some Physics Quantities → measure

शक्ति

1 Vector - quantity with both magnitude (size) and direction

2 Scalar - quantity with magnitude only

शक्ति

Vectors:



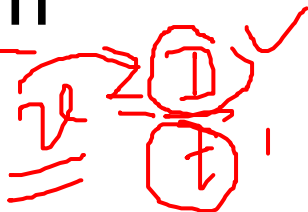
• Displacement

• Velocity वेग

• Acceleration त्वरण

• Momentum

• Force



Scalars:

• Distance

• Speed

• Time

• Mass द्रव्यमान

• Energy



Actual length

$p = m \cdot v$  and  $F = m \cdot a$

# Mass vs. Weight

Const. Mass ✓ ← MATRIA (Scalar)

- Scalar (no direction)
- Measures the amount of matter in an object

Weight ✓

gTR → Force

- Vector (points toward center of Earth)
- Force of gravity on an object

On the moon, your mass would be the same, but the magnitude of your weight would be less.

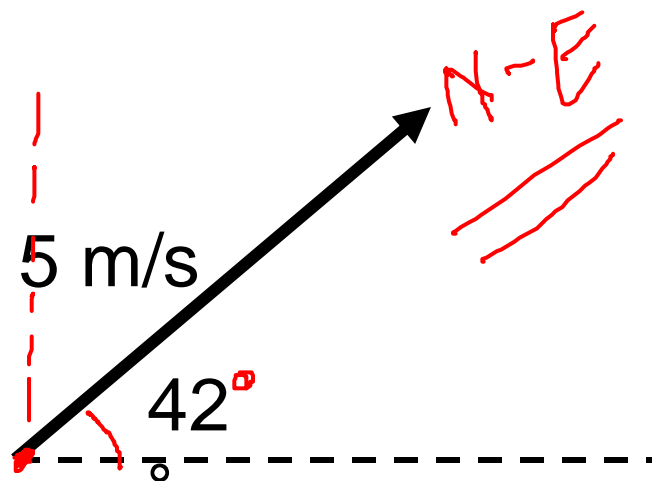
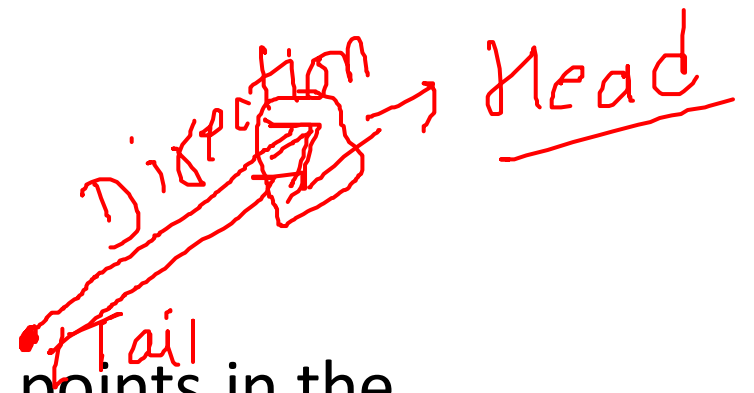
$F=W=$   
 $60kg$   
moon

$g = 9.8 m/s^2$   
 $g_m = \frac{g_e}{6}$

# Vectors

Vectors are represented with arrows

- The length of the arrow represents the magnitude (how far, how fast, how strong, etc, depending on the type of vector).
- The arrow points in the directions of the force, motion, displacement, etc. It is often specified by an angle.



UNIT  $\Rightarrow$  Phy. Quant. to measure

① Fund. Unit  $\rightarrow$  independent  $\Rightarrow$  ⑦

② Derived Unit  $\rightarrow$  Depend (on. Unit)

① Length  $\rightarrow$  meter (m)

② mass  $\rightarrow$  kg

③ Time  $\rightarrow$  sec

④ TEMP  $\rightarrow$  ky

⑤ E. current  $\rightarrow$  amp

⑥ L. Intensity  $\rightarrow$  cd

⑦ Am. of Sub  $\rightarrow$  mol

② Supp. Units: - (i) Rad ✓  
(ii) St rad → Gauss Th.  
✓ Solid Angle

④  $0^\circ \rightarrow R$  Angle ✓

③ Derived → Speed =  $\frac{\text{Dist} \checkmark}{\text{Time} \checkmark} = \frac{m}{s} \checkmark$

$$F_{\text{force}} = \underline{m} \cdot \underline{a} =$$

↓

$$\frac{\Delta v}{\Delta t}$$



① small Length:-

① m  $\rightarrow$  L

cm  $\rightarrow 10^{-2}$  m

μm  $\rightarrow 10^{-6}$  m

mm  $\rightarrow 10^{-3}$  m

nm  $\rightarrow 10^{-9}$  m

~~fm~~ fermi  $\rightarrow 10^{-15}$  m (nucleus Rad)

$\lambda = 10^{-10}$  m

1 fermi

$\lambda$  (wavelength)

(2) Large Length:- AU → Astro. Unit → Sun → Earth  
 $c = 3 \times 10^8 \text{ m/s}$

mp. LY = Distance (→  $\frac{D}{1 \text{ yr}}$ )

Solar

mp. Parsec =

P. > LY > AU

(Largest unit)

1 LY =  $9.47 \times 10^{15} \text{ m}$

1 parsec =  $3.086 \text{ LY}$

1 AU =  $1.496 \times 10^{11} \text{ m}$

\* mass: Kg  $\Rightarrow$  Chandraseh. limit (mass)

✓ White Dwarf  $\Rightarrow$  L.C.L  $\Rightarrow$  1.4  $\times$  (mass of Sun)

\* Time:-  $1 \mu s = 10^{-6} s$

$1 ms = 10^{-3} s$

$1 ns = 10^{-9} s$

$1 ps = 10^{-12} s$

# Dimension ( विमी ) $\Rightarrow$ [ ] math.

5

- \* Length  $\Rightarrow$  m  $\Rightarrow$  [L]
- \* Mass  $\Rightarrow$  kg  $\Rightarrow$  [M]
- \* Time  $\Rightarrow$  sec  $\Rightarrow$  [T]
- \* Temp  $\Rightarrow$  kel  $\Rightarrow$  [K]
- \* Current  $\Rightarrow$  amp  $\Rightarrow$  [A]
- \* L.I.  $\Rightarrow$  cand  $\Rightarrow$  [cd]
- \* A. of S.  $\Rightarrow$  mol  $\Rightarrow$  [mol]

$$\underline{P} = \frac{E}{A} = \frac{[MLT^{-2}]}{[L^2]} \quad [L^{-1}]$$

$$\text{Area} = l \times b = [M L^{-1} T^{-2}]$$

$$= [L] [L]$$

\* Electric current, charge

$$\Rightarrow I = \frac{q}{t} \Rightarrow \frac{[C]}{[T]} = [A]$$

$$F \text{ or } e = m a = [M] [L T^{-2}]$$

$$= [M L T^{-2}] \quad \checkmark$$

$$q = \frac{\Delta v}{dt} = \frac{[L T^{-1}]}{[T]} = [L T^{-2}]$$

$$= [A] \quad \checkmark$$

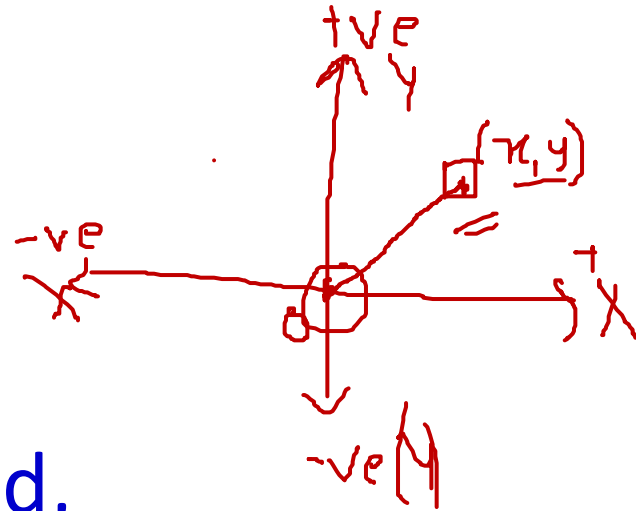
$v = \frac{D}{t}$   
 $z [L]$   
 $\frac{[L]}{[T]}$   
 $[L T^{-1}]$

# Kinematics definitions

accel, Dist, Disp, Speed, Vel.

• Kinematics – branch of physics; study of motion

• Position ( $x$ ) – where you are located



• Distance ( $d$ ) – how far you have traveled, regardless of direction



✓  $\Rightarrow$  Actual Length ✓

• Displacement ( $\Delta x$ ) – where you are in relation to where you started



# Distance vs. Displacement

Scalar

Vector

- You drive the path, and your odometer goes up by 8 miles (your distance).
- Your displacement is the shorter directed distance from start to stop (green arrow).
- What if you drove in a circle?

DISP=0

5 rounds A



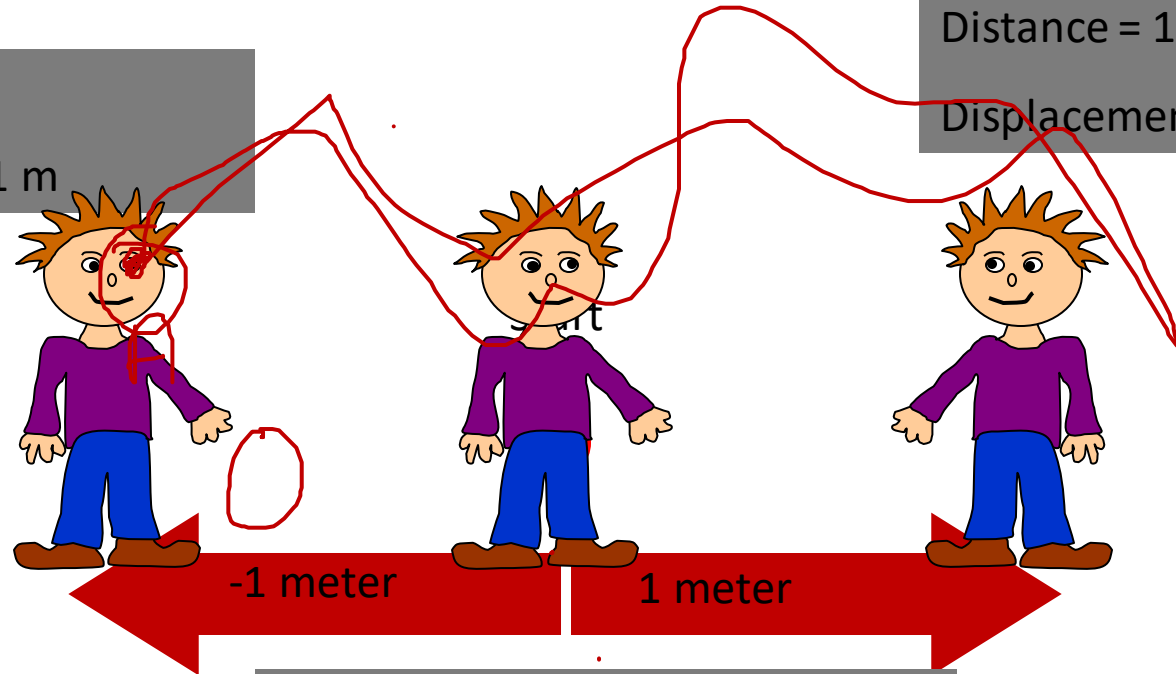
# Let's Practice!

**REMEMBER:**

- “Distance” is how far you have gone
- “Displacement” is how far you are from the starting point

Distance = 3 m  
Displacement = - 1 m

Distance = 1 m  
Displacement = + 1 m



Dis Distance = 4 m  
Dis Displacement = 0 m

# Speed, Velocity, & Acceleration

- Speed ( $v$ ) – how fast you go → scalar
- Velocity ( $\mathbf{v}$ ) – how fast and which way; the rate at which position changes → vector
- Average speed ( $v$ ) – distance/time
- Acceleration ( $\mathbf{a}$ ) – how fast you speed up, slow down, or change direction; the rate at which velocity changes

$$\frac{\text{vel.}}{\mathbf{v}} \quad \frac{\text{sp.}}{v}$$

$v \rightarrow |\mathbf{v}|$

$$\mathbf{v} = \boxed{15 \text{ km/h}} \rightarrow \text{N Direction} \quad \mathbf{v} = |\mathbf{v}| \cdot \hat{v}$$



# Speed vs. Velocity

$$\text{Av. Speed} = \frac{\text{Total Dist}}{\text{Total Time}} = \frac{\text{m}}{\text{s}}$$

- Speed is a scalar (how fast something is moving regardless of its direction).

Ex:  $v = 20 \text{ mph}$

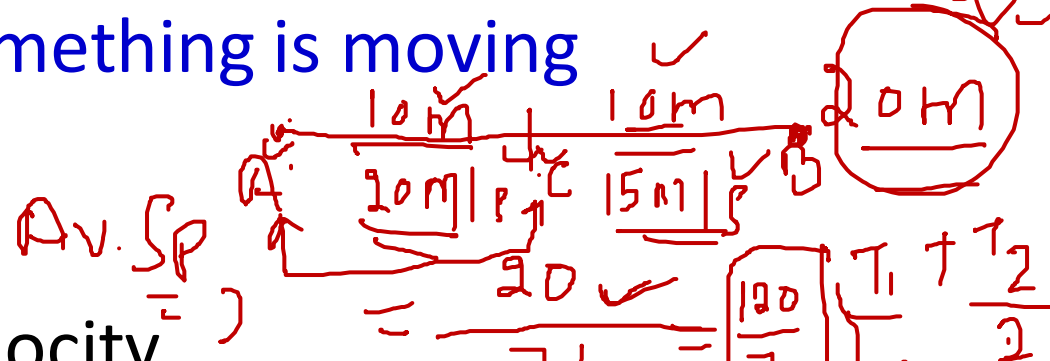
- Speed is the magnitude of velocity.

- Velocity is a combination of speed and direction. Ex:

$v = 20 \text{ mph}$  at  $15^\circ$  south of west

- The symbol for speed is  $v$ .  $D = S \times T$

- The symbol for velocity is type written in bold:  $\mathbf{v}$  or hand written with an arrow:  $\vec{v}$



$$S = \frac{D}{T} \Rightarrow T = \frac{D}{S} = \frac{100}{20} = 5$$

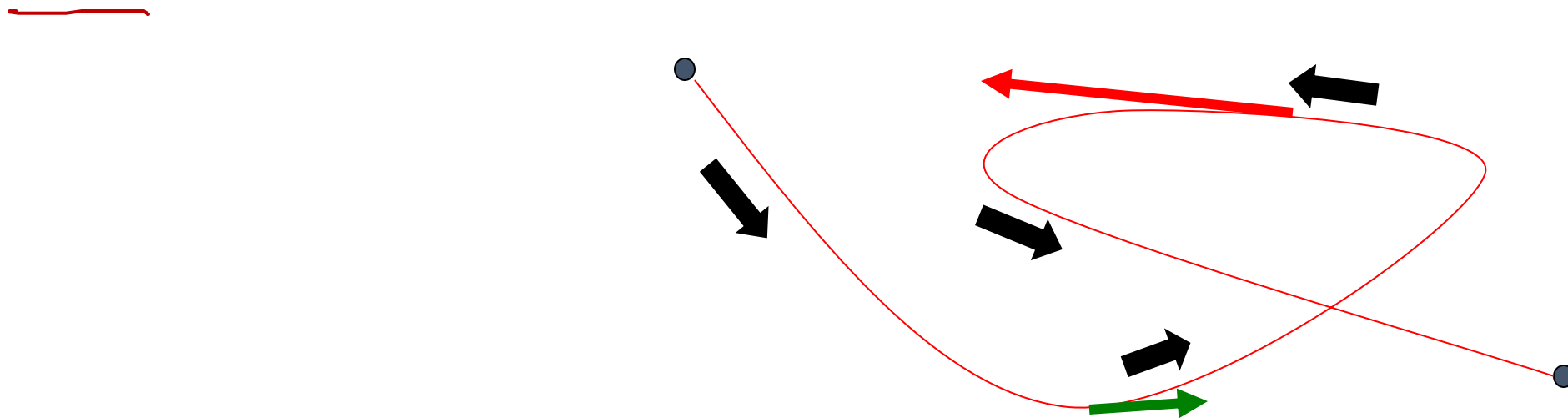
$$T = \frac{10}{30} = \frac{1}{3} \text{ sec}$$

$$T_1 + T_2 = \frac{1}{2} + \frac{2}{3} = \frac{1}{6}$$

$$C-B \rightarrow T_2 = \frac{10}{15} = \frac{2}{3} \text{ sec}$$


# Speed vs. Velocity

- During your 8 mi. trip, which took 15 min., your speedometer displays your instantaneous speed, which varies throughout the trip.
- Your average speed is 32 mi/hr.
- Your average velocity is 32 mi/hr in a SE direction.
- At any point in time, your velocity vector points tangent to your path.
- The faster you go, the longer your velocity vector.



# More About Velocity

- **Average Velocity:** the overall displacement covered in a given time period

$$v_{avg} = \frac{\text{displacement}}{\text{time}} = \frac{\Delta d}{t}$$


- Units =  $\text{m/s} = \text{m} \cdot \text{s}^{-1}$

\*Note: average speed = total **distance** per unit time

- **Instantaneous Velocity:** The speed and direction of a moving object at a particular instant in time
  - Initial velocity  $\rightarrow \mathbf{v}_1$  (or  $\mathbf{v}_i$  or  $\mathbf{v}_o$ )
  - Final velocity  $\rightarrow \mathbf{v}_2$  (or  $\mathbf{v}_f$  or  $\mathbf{v}$ )

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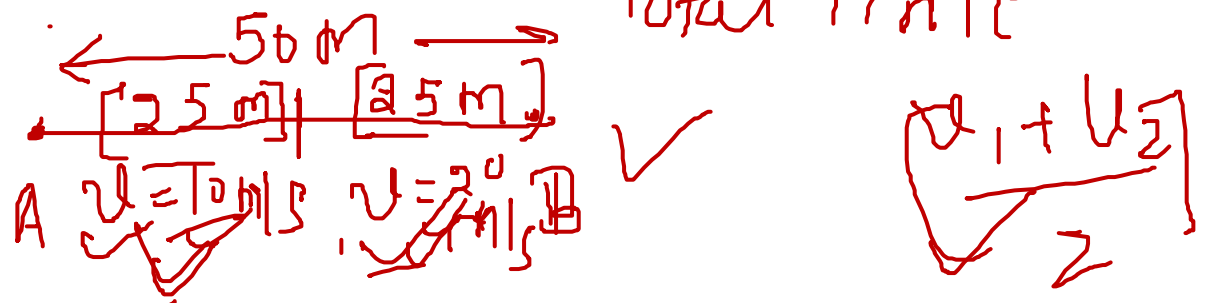
# Special Cases:-

$$\text{Av. Sp.} = \frac{\text{Total Distance}}{\text{Total Time}}$$

20 m/s      15 m/s

$$\text{Av. Vel.} = \frac{\text{Total Disp.}}{\text{Total Time}}$$

~~x~~  
 $S_1 = S_2 \Rightarrow$



$$\text{Av. Sp.} \Rightarrow \frac{2 u_1 u_2}{u_1 + u_2} = \frac{2 \times 10 \times 20}{20 + 10}$$

$$\Rightarrow \frac{2 \times 20 \times 10}{30} = \frac{120}{3} = 40 \text{ m/s}$$

# Acceleration

$\sqrt{a^2 + 0^2}$  (vector)  $\Rightarrow$   $m/s^2$  mit 1.6 km

Acceleration – how fast you speed up, slow down, or change direction; it's the rate at which velocity changes. Two examples:

$\Rightarrow \vec{a} \Rightarrow \frac{\text{Final vel} - \text{Initial velocity}}{\text{Final time} - \text{initial time}}$

$a = \frac{\Delta v}{\Delta t}$   
 $= \frac{v_2 - v_1}{\Delta t}$

<u>t (s)</u>	<u>v (mph)</u>
<u>0</u>	<u>55</u>
<u>1</u>	<u>57</u>
<u>2</u>	<u>59</u>
<u>3</u>	<u>61</u>

<u>t (s)</u>	<u>v (m/s)</u>
<u>0</u>	<u>34</u>
<u>1</u>	<u>31</u>
<u>2</u>	<u>28</u>
<u>3</u>	<u>25</u>

$a = \frac{2}{1} \rightarrow a = +2 \text{ mph/s}$

neg. Acc.  $\rightarrow$  Rate of decel  
 $a = -3 \frac{m/s}{s} = -3 \text{ m/s}^2$

# Acceleration

• **Acceleration** (Vector): ANY change in velocity

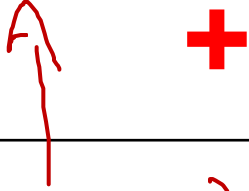

- Speeding up (final velocity is a larger magnitude than the initial velocity)
- Slowing down (final velocity is a smaller magnitude than the initial velocity)
- Changing directions (the direction of the vector is changing)

• **Average Acceleration**: the rate at which velocity is changing

• Units =  $\text{m/s}^2 = \text{m} \cdot \text{s}^{-2}$

$$a = \frac{\Delta v}{t} = \frac{v_2 - v_1}{t}$$

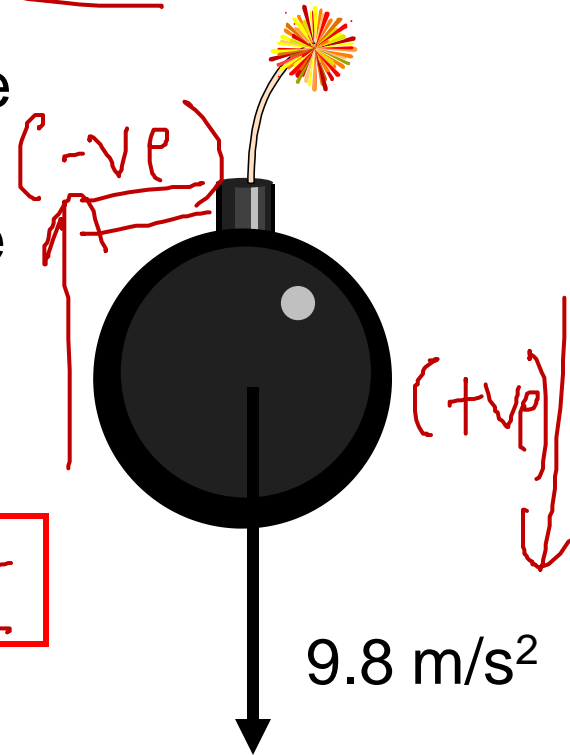
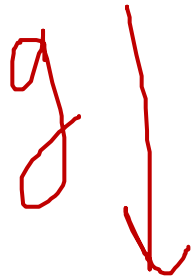
# Velocity & Acceleration Sign Chart

		<i>VELOCITY</i>	
<i>A C C E L E R A T I O N</i>			
	<b>+</b>	Moving forward; Speeding up	Moving backward; Slowing down
	<b>-</b>	Moving forward; Slowing down	Moving backward; Speeding up

# Acceleration due to Gravity

$$(g) \rightarrow m/s^2$$

Near the surface of the Earth, all objects accelerate at the same rate (ignoring air resistance).



*This acceleration vector is the same on the way up, at the top, and on the way down!*

$$a = -g = -9.8 \text{ m/s}^2$$

Interpretation: Velocity decreases by 9.8 m/s each second, meaning velocity is becoming less positive or more negative. Less positive means slowing down while going up. More negative means speeding up while going down.



# Kinematics Formula Summary

Final vel.

For 1-D motion with constant acceleration:

$$v = u + at$$

initial vel.  $\rightarrow$   
constant  $\downarrow$   
 $\Delta t$   $\rightarrow$  time

$$v^2 = u^2 + 2as$$

$$s = ut + \frac{1}{2}at^2$$

$$v^2 - u^2 = 2as$$

$$\bullet \underline{v_f} = v_0 + at$$

$$\bullet \underline{v} = (v_0 + v_f)/2$$

$$\bullet \underline{\Delta x} = v_0 t + \frac{1}{2}at^2$$

$$\bullet \underline{v_f^2 - v_0^2 = 2a\Delta x}$$

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